

Channel Models for Fixed Wireless Systems

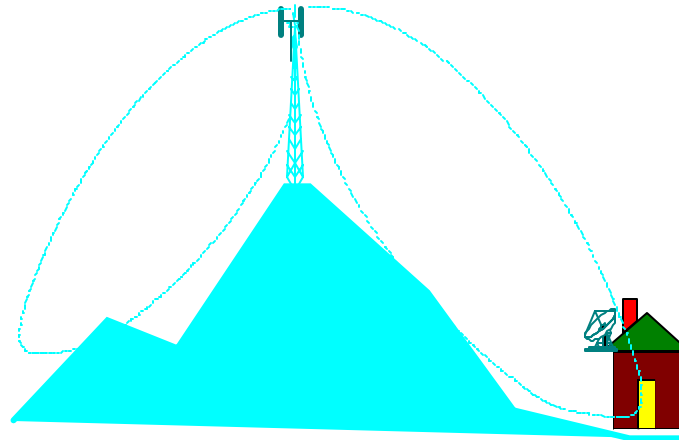
**Vinko Erceg
February 2002**



Outline

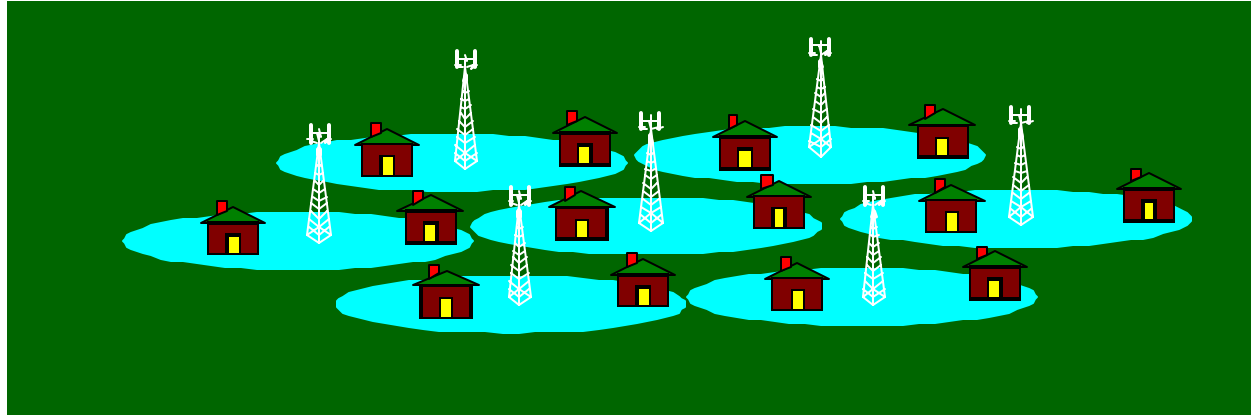
- Introduction
- Fixed Wireless Channel Models
 - Path Loss Model
 - Antenna Gain Reduction
 - RMS Delay Spread Model
 - K-Factor Model
 - Doppler Spectrum
- Diversity Combining Advantage
- Modified SUI Channel Models
- Conclusion

“Super Cell” System Scenario



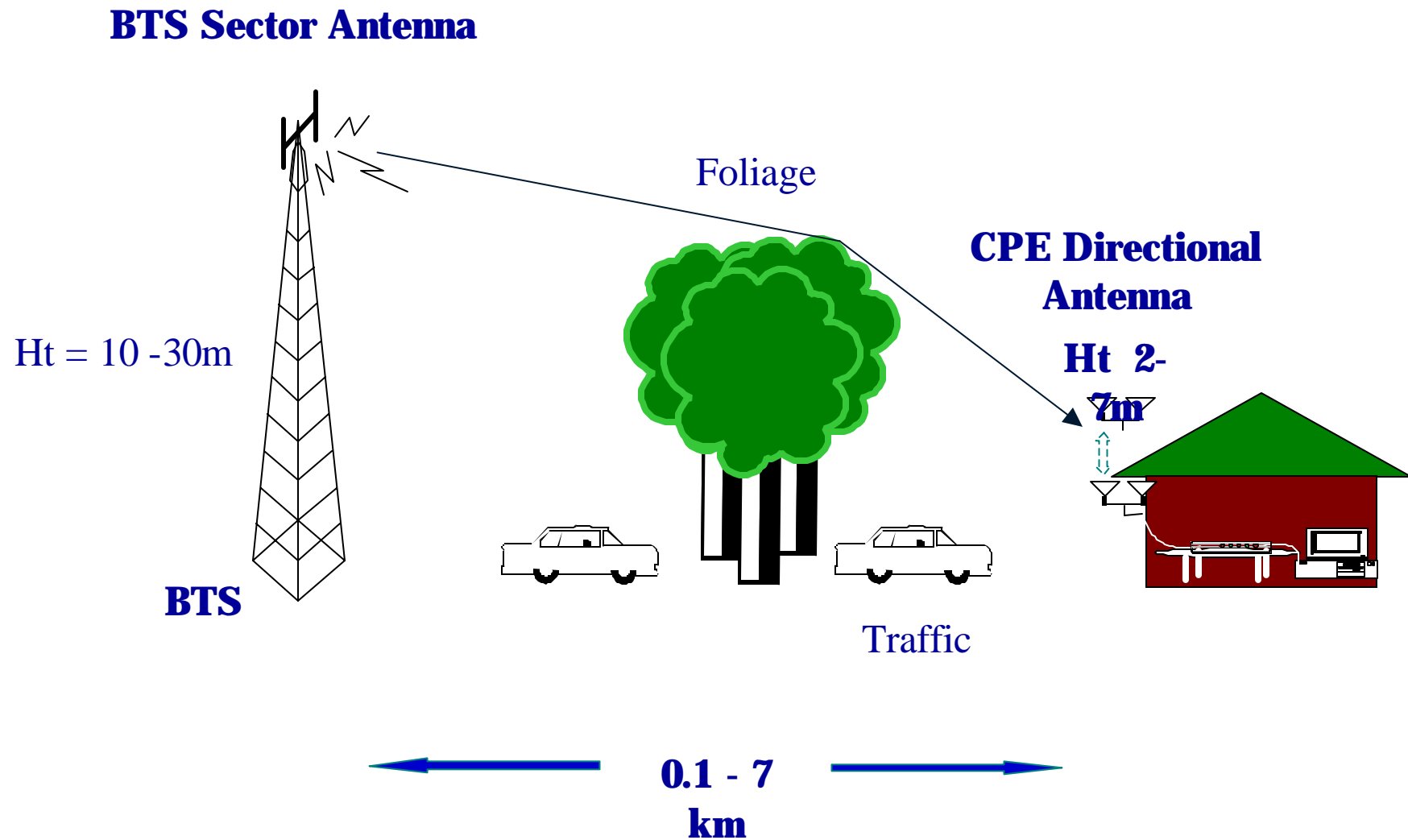
- LOS
- High BTS > 300 m
- Rooftop CPE Antenna
- Single Cell / PSA

Multicell System Scenario

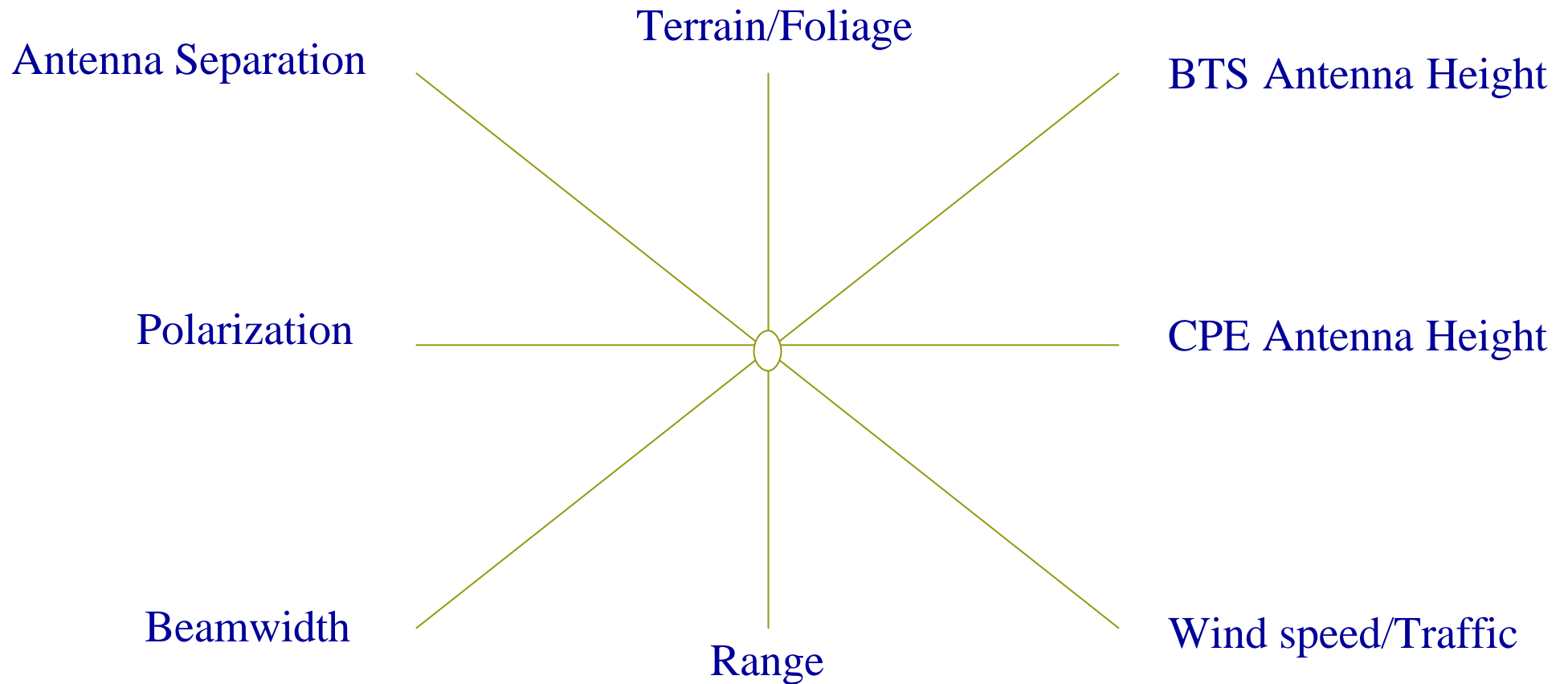


- Low BTS antennas
- Non-LOS propagation/fading
- More path loss (less range)
- Co-channel Interference

Propagation Scenario



Channel Has Many Dimensions



Fixed Wireless Channel Models

Suburban Path Loss Model

We propose a model presented in [1]. It is based on extensive experimental data collected by AT&T Wireless Services in 95 macrocell across US. It covers the following:

- 3 different terrain categories: hilly, moderate and flat terrain
- Low and high base station antenna heights : 10 - 80 m
- Extended to higher frequencies and receiver antenna heights

[1] V. Erceg et. al, "An empirically based path loss model for wireless channels in suburban environments," *IEEE J. Select Areas Commun.*, vol. 17, no. 7, July 1999, pp. 1205-1211.

Path Loss Model: Cont'

Slope and Fixed Intercept Model:

$$PL = A + 10 \gamma \log_{10} (d/d_o) + s;$$

Intercept: $A = 20 \log_{10} (4 \pi d_o / \lambda)$

Path Loss Exponent: $\gamma = (a - b h_b + c / h_b) + x \sigma; \quad h_b: 10 - 80\text{m}$

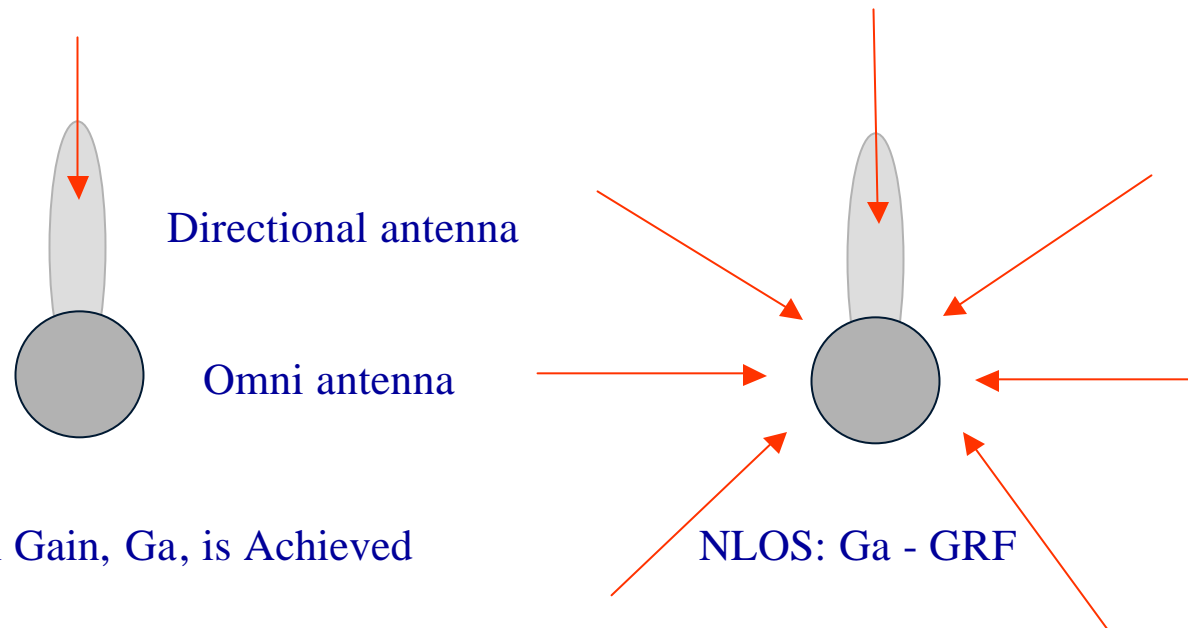
Shadow Fading Standard Deviation: $\sigma = \mu_\sigma + z \sigma_\sigma$

Frequency Correction Factor: $C_f = 6 \log_{10} (f / 1900)$

Height Correction Factor: $C_h = -10.7 \log_{10}(h_r/2); \quad h_r: 2 - 8\text{m}$

Antenna Gain Reduction Factor (GRF)

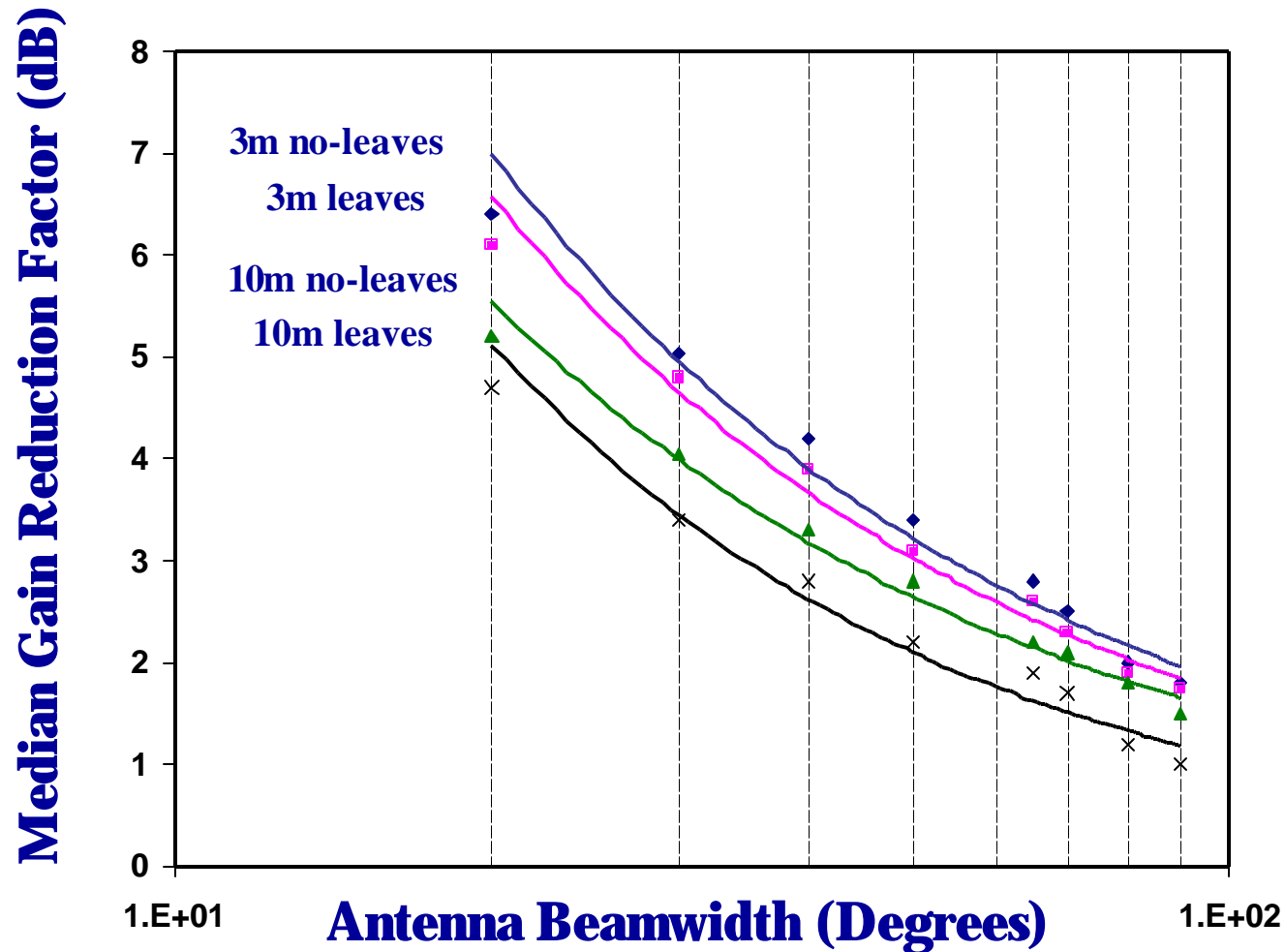
In local scattering, when compared to an omnidirectional antenna, the nominal gain of a directive antenna can be significantly reduced.



- [2] L.J. Greenstein and V. Erceg, "Gain reductions due to scatter on wireless paths with directional antennas," *IEEE Communications Letters*, Vol. 3, No. 6, June 1999 (also in *VTC'99 Conference Proceedings*, Amsterdam, September 1999).

Antenna Gain Reduction Factor: Cont'

Median Antenna Gain Reduction



Antenna Gain Reduction: Cont'

In [3], approximately 10 dB gain reduction factor can be observed from figures for a flat suburban environment for a 10° receive antenna ($h_r = 5.2\text{m}$).

The base station antenna height was 43 m and the receive antenna heights were 5.2, 10.4, and 16.5 m. This result closely matches results reported in [2].

[3] J.W. Porter and J.A. Thweatt, "Microwave propagation characteristics in the MMDS frequency band," *ICC'2000 Conference Proceedings*, pp. 1578-1582.

RMS Delay Spread Model

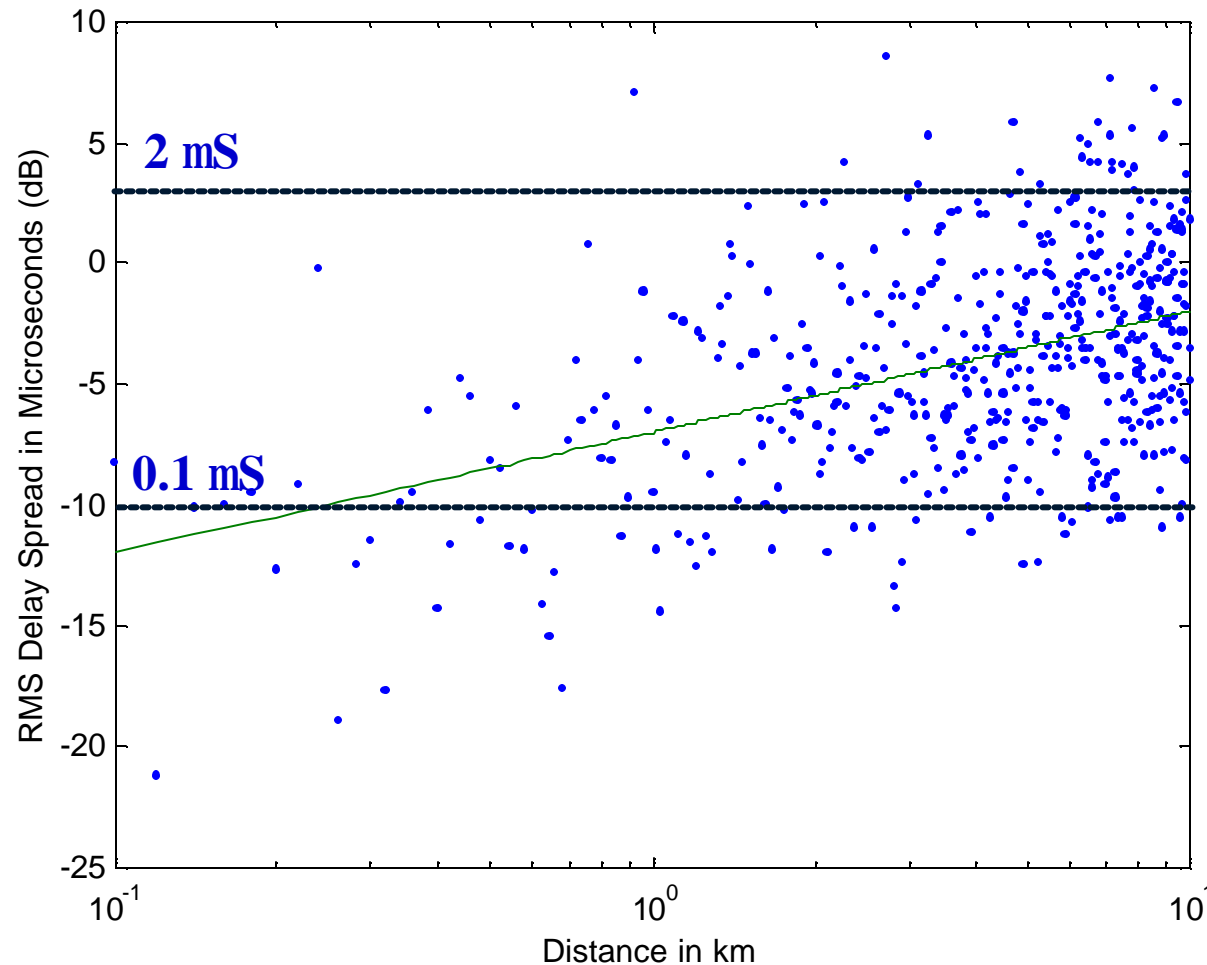
A delay spread model was proposed in [3] based on a large body of published reports. The model was developed for rural, suburban, urban, and mountainous environments. The model is of the following form:

$$\tau_{\text{rms}} = T_1 d^\epsilon y$$

Where τ_{rms} is the rms delay spread, d is the distance in km, T_1 is the median value of τ_{rms} at $d = 1$ km, ϵ is an exponent that lies between 0.5-1.0, and y is a lognormal variate. The model parameters and their values can be found in Table III of [3].

[3] L.J. Greenstein, V. Erceg, Y.S. Yeh, and M.V. Clark, "A new path-gain/delay-spread propagation model for digital Cellular Channels," *IEEE Trans. On Vehicular Technology*, vol. 46, no. 2, May 1997.

RMS Delay Spread Cont': RMS Delay Spread vs. Distance (Suburban Environments) Simulation



Omni Receive
Antenna

RMS Delay Spread: Cont'

Antenna Directivity Effect:

- In [3] It was shown that a 10° directional antenna reduces the RMS delay spread 2.6 times in suburban environments.
- In [4], it was shown that a 32° directional antenna reduces the RMS delay spread 2.3 times.

[3] J.W. Porter and J.A. Thweatt, "Microwave propagation characteristics in the MMDS frequency band," *ICC'2000 Conference Proceedings*, pp. 1578-1582.

[4] V. Erceg et.al, "A model for the multipath delay profile of fixed wireless channels," *IEEE J. Select Areas Commun.*, vol. 17, no.3, March 1999, pp. 399-410.

K-Factor Model

In [6,7] the K-factor distribution was found to be lognormal, with the median as a simple function of season, antenna height, antenna beamwidth, and distance.

$$K = F_s F_h F_b K_o d^\gamma u$$

[6] L.J. Greenstein, S. Ghassemzadeh, V. Erceg, and D.G. Michelson, "Rician K-factors in narrowband fixed wireless channels: Theory, experiments, and statistical models," *WPMC'99 Conference Proceedings*, Amsterdam, September 1999.

[7] D.S. Baum, V. Erceg et.al., "Measurements and characterization of broadband MIMO fixed wireless channels at 2.5 GHz", *Proceedings of ICPWC'2000*, Hyderabad, 2000.

K-Factor Model: Cont'

F_s is the seasonal factor = 1 in summer and 2.5 in winter

F_h is the receiving antenna height factor = $(h/3)^{0.46}$; h in m

F_b is the antenna beamwidth factor = $(b/17)^{-0.62}$; b in deg.

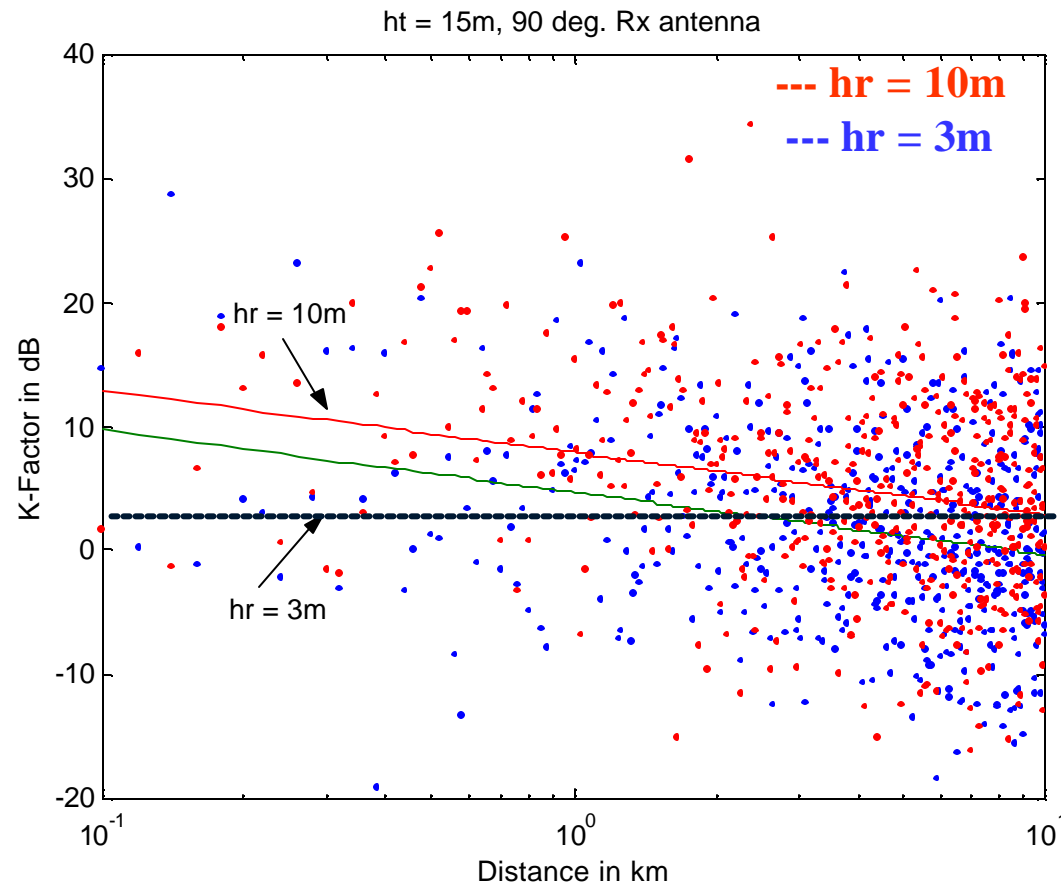
d is the distance in km

γ is the exponent = - 0.5

K_o is the 1 km intercept = 10 dB

u is the zero-mean lognormal variate with a 8.0 dB standard deviation over the cell area.

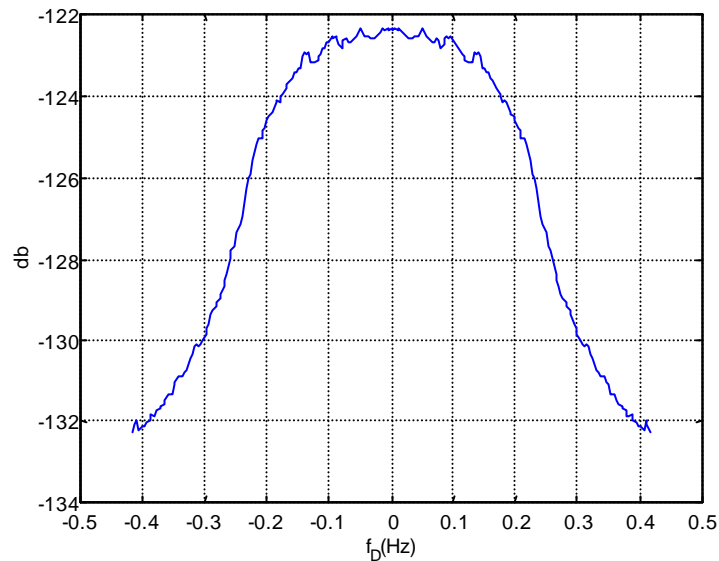
K-Factor vs. Distance (Suburban Environments) Simulation



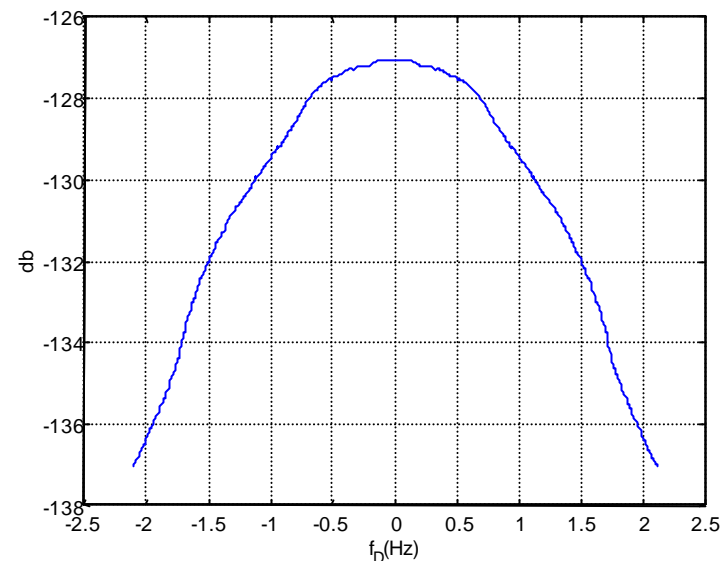
High probability
that $K < 0$ dB

Doppler Power Spectrum

Low Wind



High Wind



Rounded Spectrum with $f_D \sim 0.1\text{Hz} - 2\text{Hz}$

Diversity Combining Advantage

Antenna Correlation

For SIMO, MISO, MIMO channels, correlation between multiple channels depends on

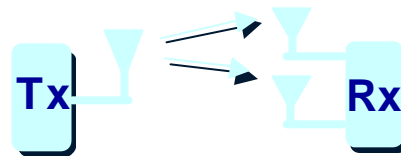
- Spacing between antennas
- Height of the antennas
- Beamwidth
- Polarization
- Distance from the BTS
- Environment

Diversity Gain

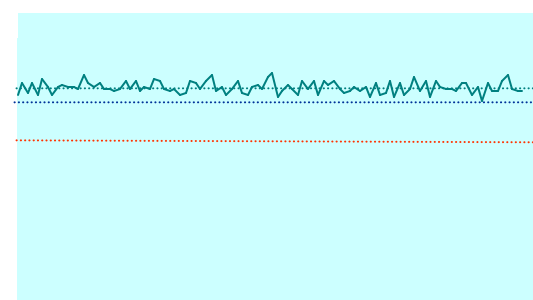
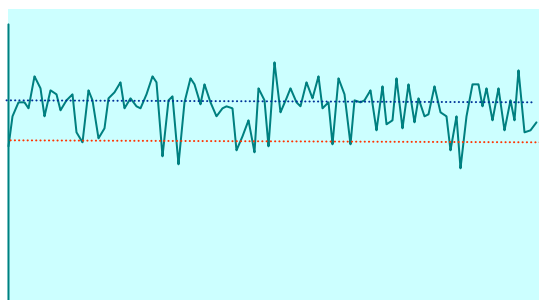
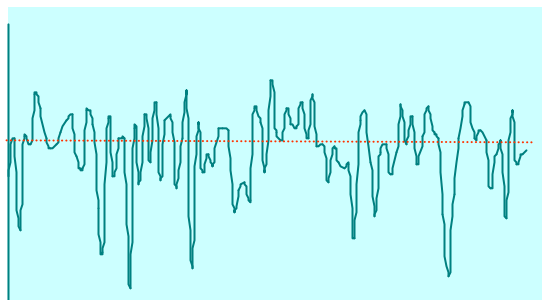
1x1



1x2

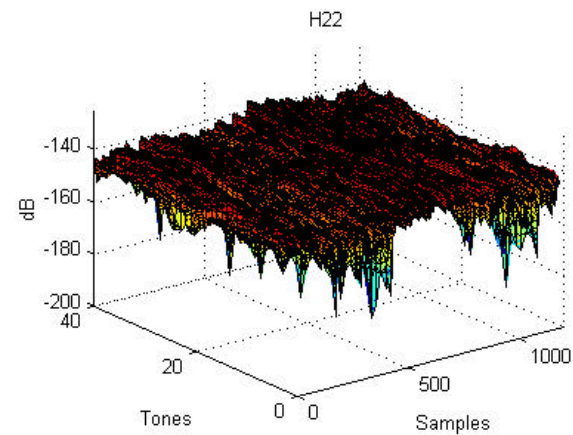
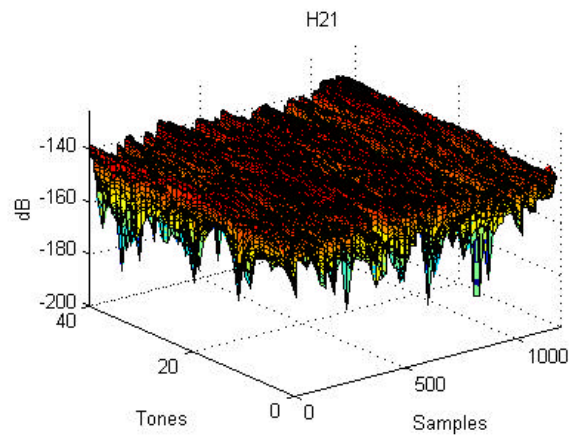
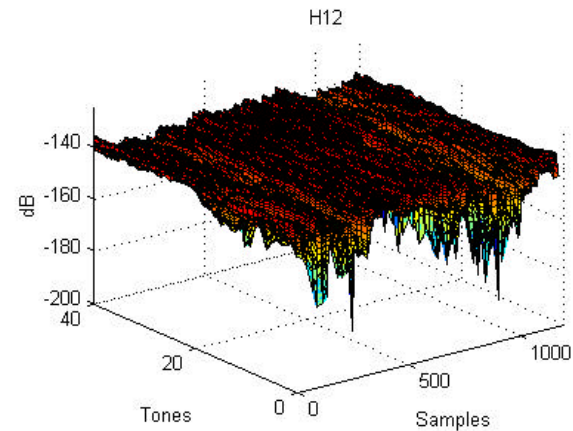
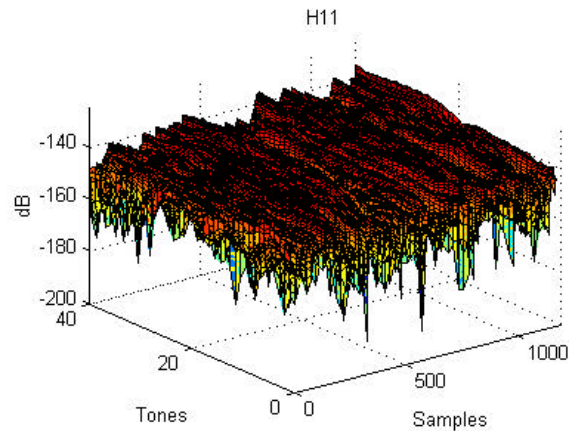


NxM

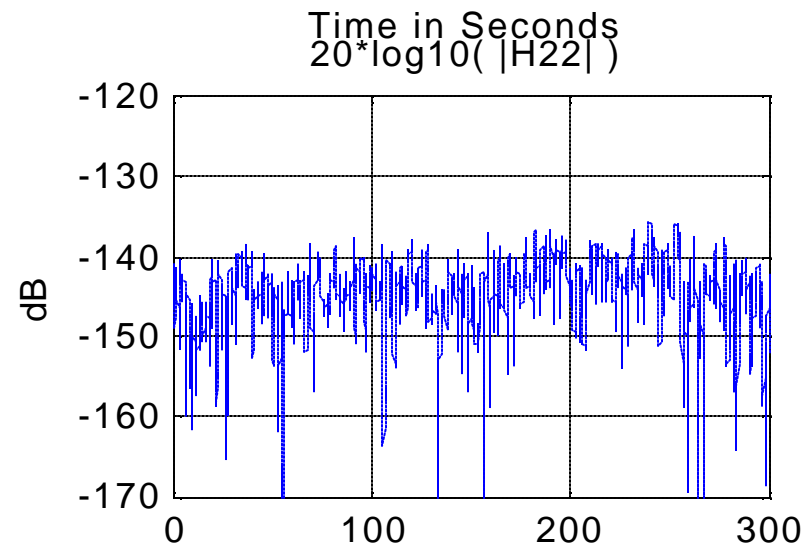
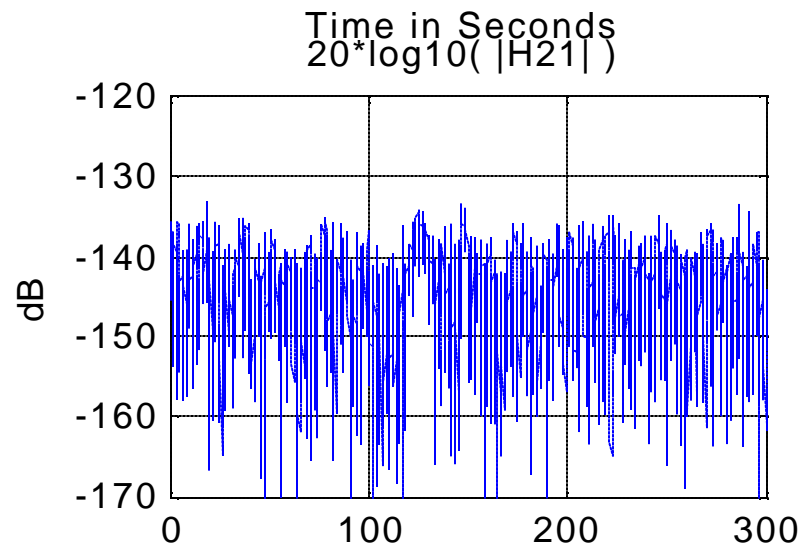
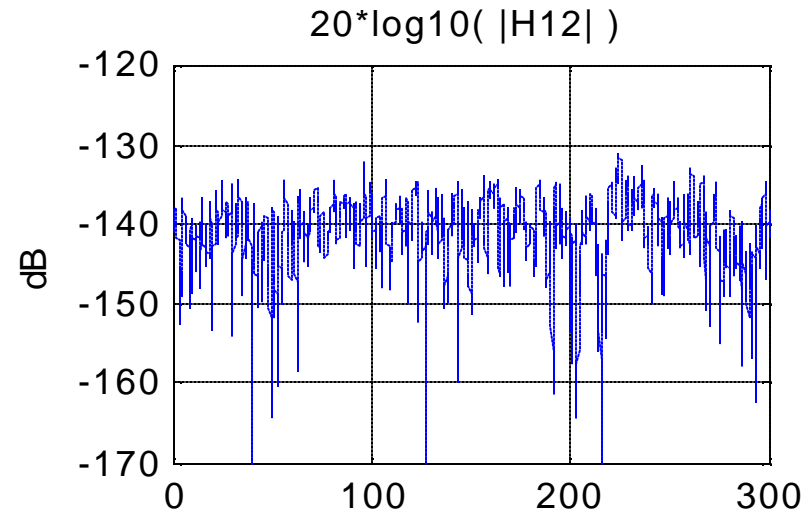
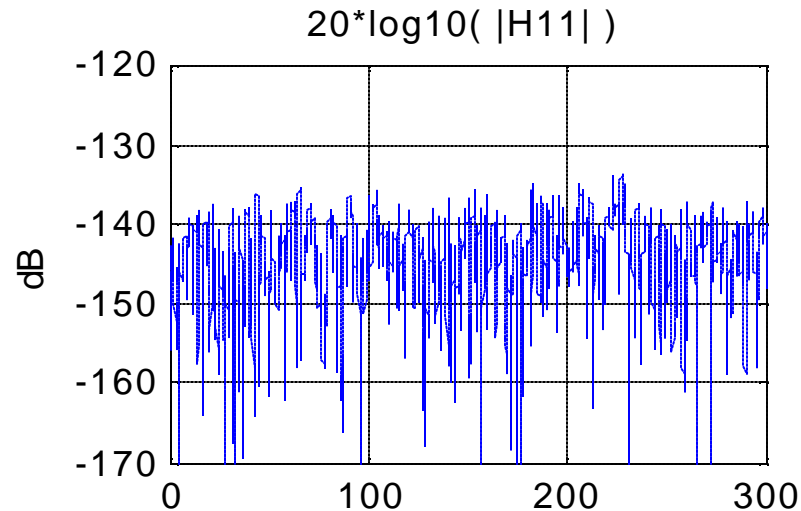


2 x 2 Channel Matrix (Frequency vs. Time) - Measured

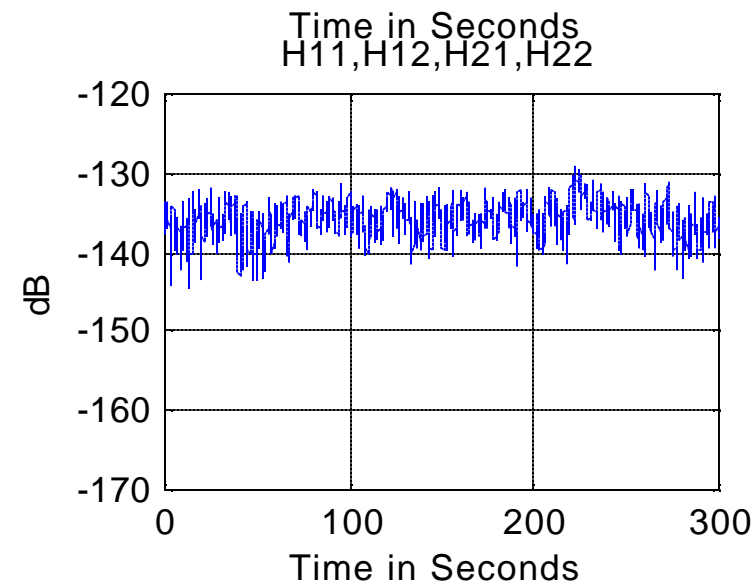
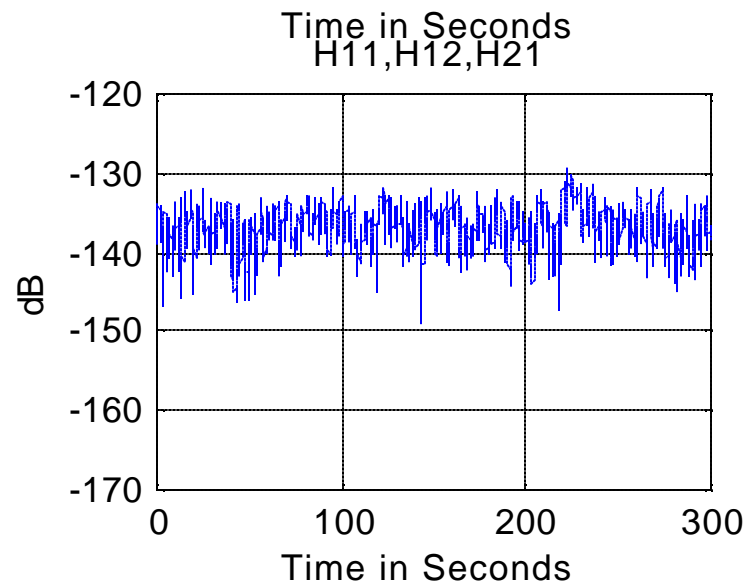
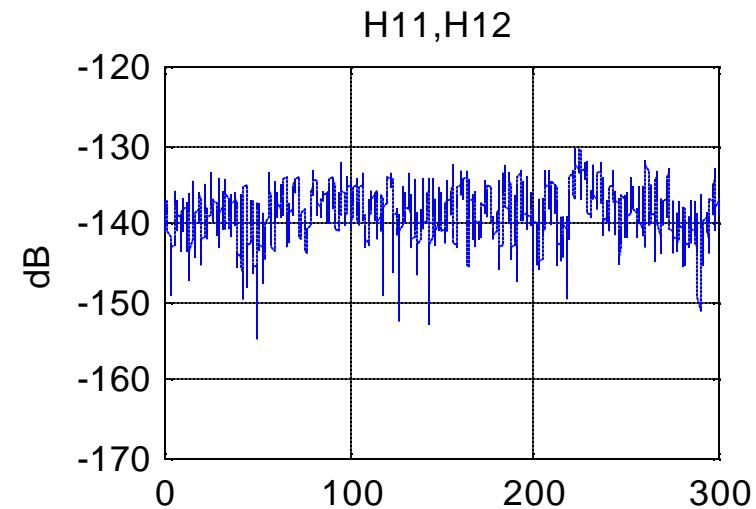
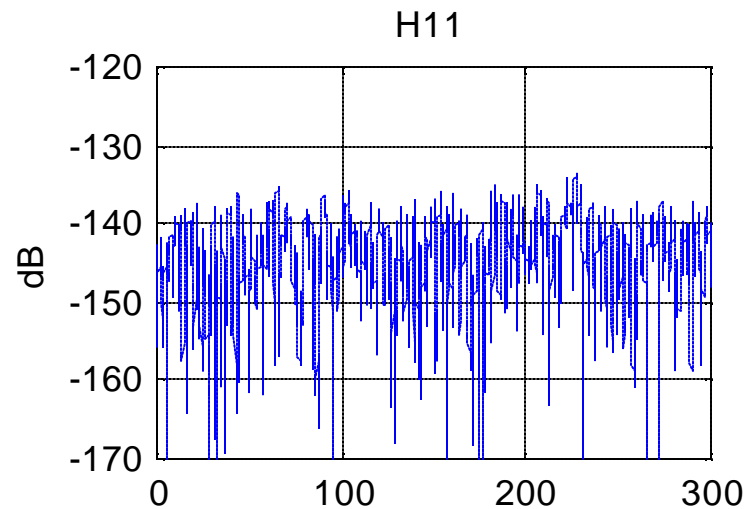
2.4 GHz



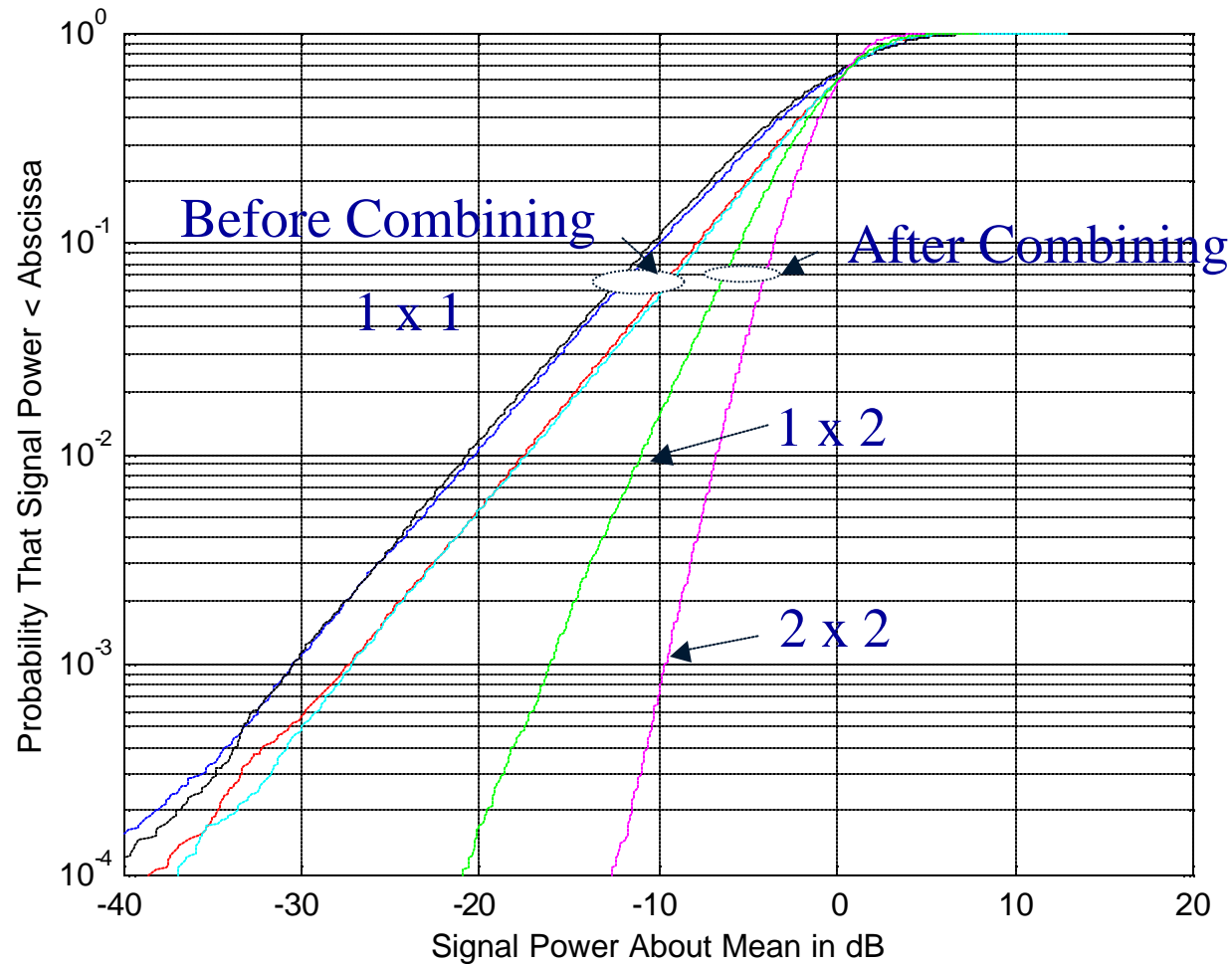
2 x 2 Channel Matrix (Single Tone) - Measured



Effect of Combining - Measured Data



CDF of Tx-Rx Diversity - Measured



Cell Radii for Systems with Different Orders of Diversity

Assumptions: Rayleigh flat fading, $\text{BER} = 10^{-3}$, array gain accounted for, $1/d^4$ propagation, uncorrelated fading.

Source: Theoretical BER vs SNR curves (Proakis, *Digital Communications*)

Diversity Order	Maximum Allowable Path loss	Relative Cell Radius
SISO 1x1	PL	1
SIMO 1x2	PL+13 dB	2.1
MIMO 2x2	PL+16 dB	2.5
MIMO 2x3	PL+19 dB	3.0

Modified SUI (802.16) Channel Models

SUI Channel Model Assumptions

- ➡ A cell size of 7km
- ➡ BTS Antenna height: 30m
- ➡ CPE antenna height: 6m
- ➡ BTS Antenna beamwidth: 120 deg
- ➡ CPE Antenna Beamwidth: 360 and 30 deg
- ➡ Vertical Polarization only

SUI-4

SUI – 4 Channel				
	Tap 1	Tap 2	Tap 3	Units
Delay	0	1.5	4	μs
Power (omni ant.)	0	-4	-8	dB
90% K-fact. (omni)	0	0	0	
75% K-fact. (omni)	1	0	0	
Power (30° ant.)	0	-10	-20	dB
90% K-fact. (30°)	1	0	0	
75% K-fact. (30°)	5	0	0	
Doppler	0.2	0.15	0.25	Hz
Antenna Correlation: $\rho_{\text{ENV}} = 0.3$ Gain Reduction Factor: GRF = 4 dB Normalization Factor: $F_{\text{omni}} = -1.9218 \text{ dB}$, $F_{30^\circ} = -0.4532 \text{ dB}$		Terrain Type: B Omni antenna: $\tau_{\text{RMS}} = 1.257 \mu\text{s}$ overall K: K = 0.2 (90%); K = 0.6 (75%) 30° antenna: $\tau_{\text{RMS}} = 0.563 \mu\text{s}$ overall K: K = 1.0 (90%); K = 3.2 (75%)		

Discussion and Conclusions

For multi-cell BWA deployments:

- ➡ $K = 0$ (Rayleigh fading) must be assumed for robust system design
- ➡ Excess delay spread values vary from 0 - 20 μs
- ➡ Antenna Gain Reduction Factors (GRF) must be accounted for in link budgets
- ➡ Diversity combining dramatically improves coverage/reliability of any system